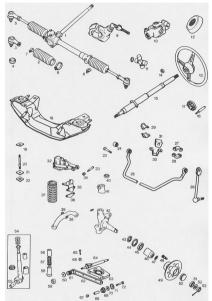
BioModel Engineering

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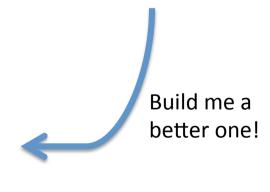
Bioinformatics, Systems Biology, Synthetic Biology



But how do these work together?

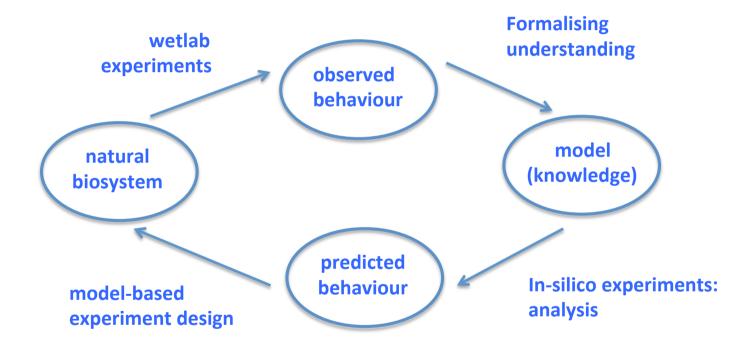








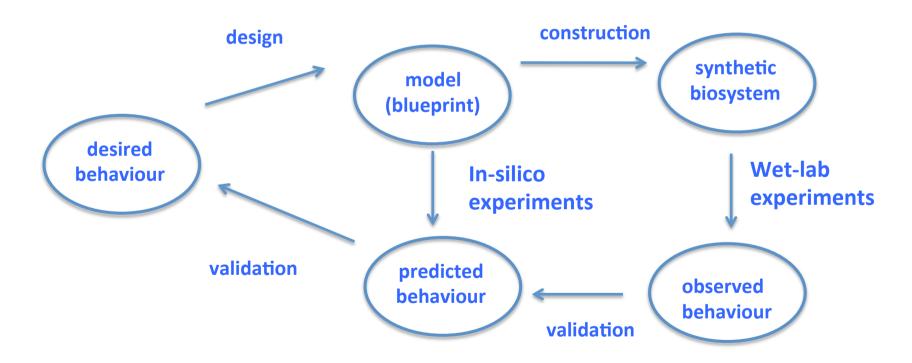
Systems biology





Synthetic Biology









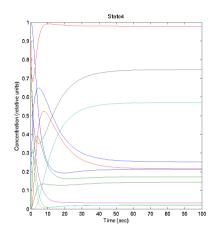
Validation & verification

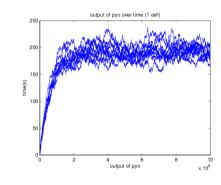


- Validation 'You built the right product?'. (Quality control)
 - Product / system accomplishes its intended requirements.
 - But you didn't tell me you wanted a red bus!
- Verification 'You built the product right?'. (Quality assurance)
 - System complies with its specification
- Possible for the product to produce the required outcome, but not in accord with its specification.
 (?)



Where to start?

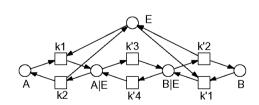






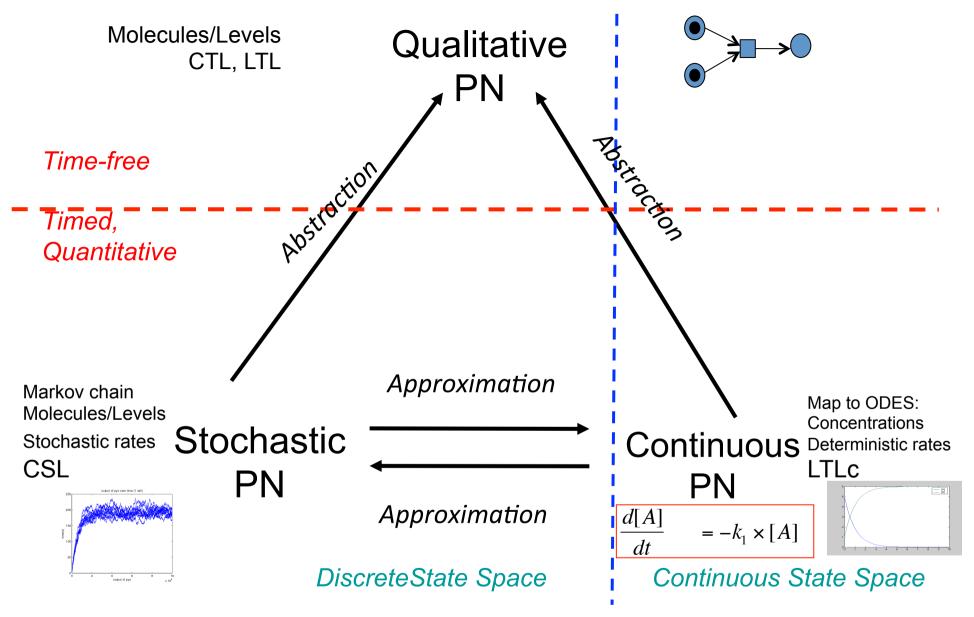


$$\frac{d[A]}{dt} = -k_1 \times [A]$$



We need a Framework!





Gilbert, Heiner and Lehrack. ``A Unifying Framework for Modelling and Analysing Biochemical Pathways Using Petri Nets." Proc CMSB 2007

BioModel Engineering

- Takes place at the interface of computing science, mathematics, engineering & biology.
- A systematic approach for designing, constructing and analyzing computational models of biological systems.
- Inspiration from efficient software engineering strategies.
- Not engineering biological systems per se, but
 - describes their structure and behaviour,
 - in particular at the level of intracellular molecular processes,
 - using computational tools and techniques in a principled way.



Biomodel engineering

- 1. Problem identification
- 2. Construction
- 3. Simulation
- 4. Analysis & interpretation
- 5. Management & development



Building a computational model



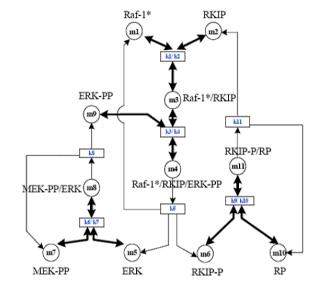
1: Identification

- Identify the biological pathway to model (what)
 - RKIP
 - EGF and NGF activated MAPK
- Or, more importantly, identify the biological question to answer (why)
 - What influence does the Raf Kinase Inhibitor Protein (RKIP) have on the Extracellular signal Regulated Kinase (ERK) signalling pathway?
 - How do EGF and NGF cause differing responses in ERK activation, transient and sustained, respectively?



(2. Construction)

What is a biochemical network model?



bipartite graph **QUALITATIVE Petri net**

2. Kinetics

Structure

$$d[Raf1*]/dt = k1*m1*m2 + k2*m3 + k5*m4$$

 $k1 = 0.53$; $k2 = 0.0072$; $k5 = 0.0315$

reaction rates

QUANTITATIVE (PN)

3. Initial conditions

$$[Raf1^*]_{t=0}$$
= 2 μ Molar

marking, concentrations

QUANTITATIVE (PN)

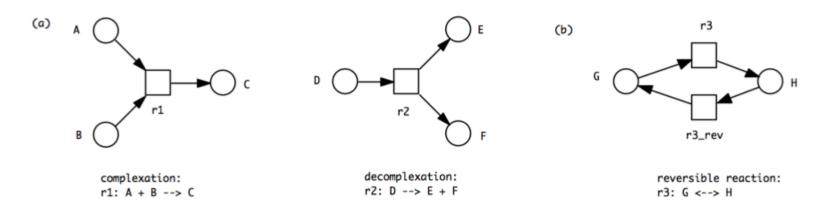


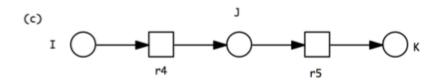
Model Design Patterns



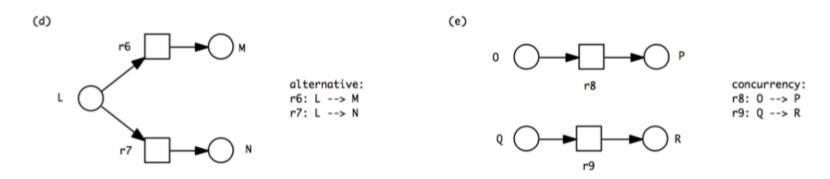
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Some biochemical reaction patterns





sequence: r4: I --> J, r5: J -->K



MA1: mass-action enzymatic reaction

 $A \xrightarrow{E} B$

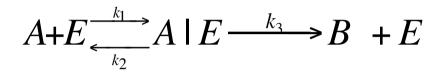
Biochemistry

A: substrate

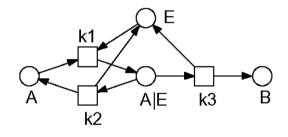
B: product

E: enzyme

E|A complex



Biochemistry Mass Action



Petri net

$$\frac{d[A]}{dt} = -k_1 \times [A] \times [E] + k_2 \times [A \mid E]$$

$$\frac{d[A \mid E]}{dt} = +k_1 \times [A] \times [E] - k_2 \times [A \mid E] - k_3 \times [A \mid E]$$

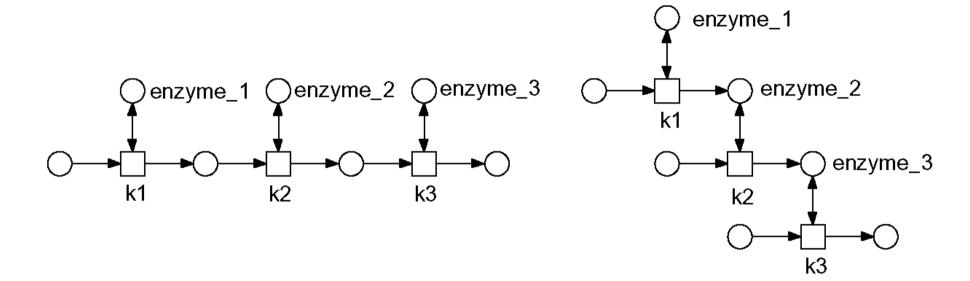
$$\frac{d[B]}{dt} = +k_3 \times [A \mid E]$$

$$\frac{d[E]}{dt} = -k_1 \times [A] \times [E] + k_2 \times [A \mid E] + k_3 \times [A \mid E]$$

Ordinary Differential Equations



Metabolic pathways vs Signalling Pathways

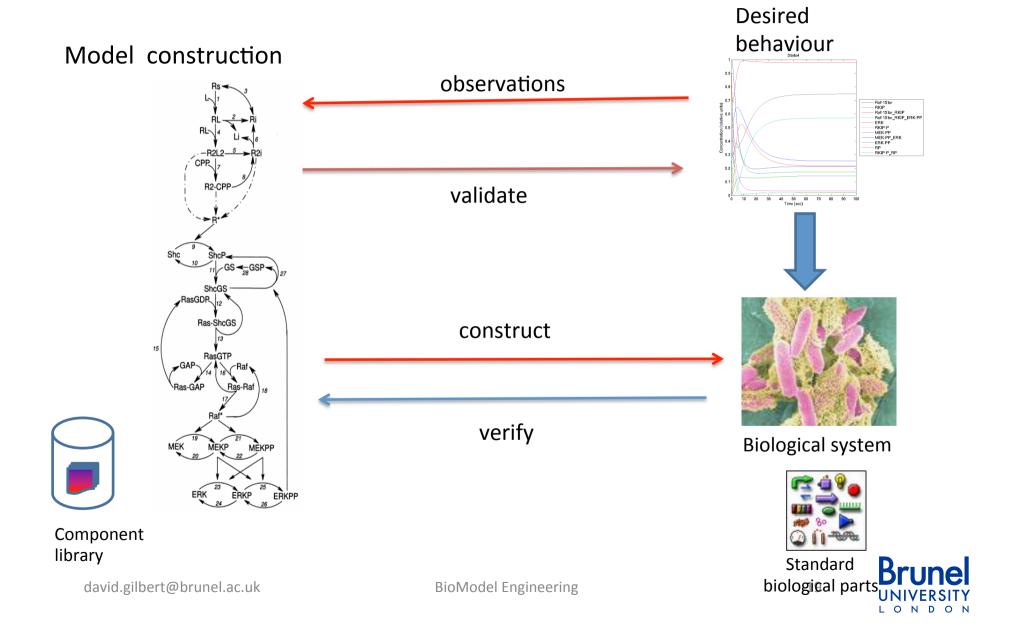


Automated construction...

- Automated
 - Fitting from target behaviour (topology, rates)
 - Formal derivation time series data (topology, afternoon session)
- Modular modelling (afternoon session)



A future vision



Biochemical Models Construction Based on Reuse of Components

Zujian Wu

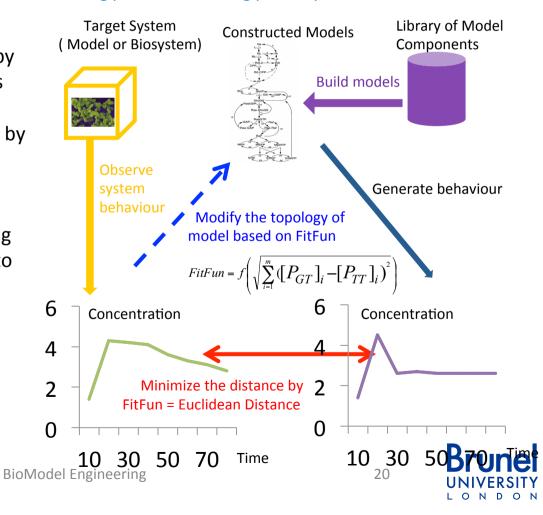
Aims:

- To achieve the target-driven construction of biochemical models by reference to their desired behaviours
- To address the construction problem by
 - building a library for storing reliable biochemical functional submodels (as components)
 - intelligently selecting, combining and mutating these submodels to generate complex systems

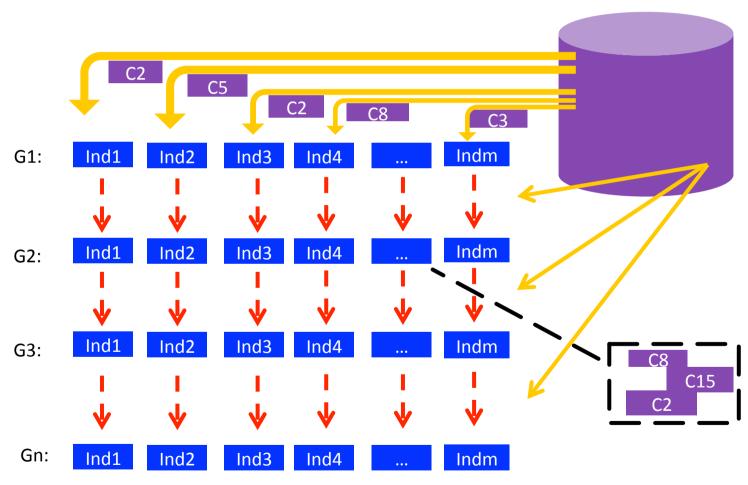
Methods:

- Petri Nets: Components & Model
- Simulated Annealing: Kinetic rates
- Evolutionary Algorithms: Topology

Big picture of building pathways for desired behaviour



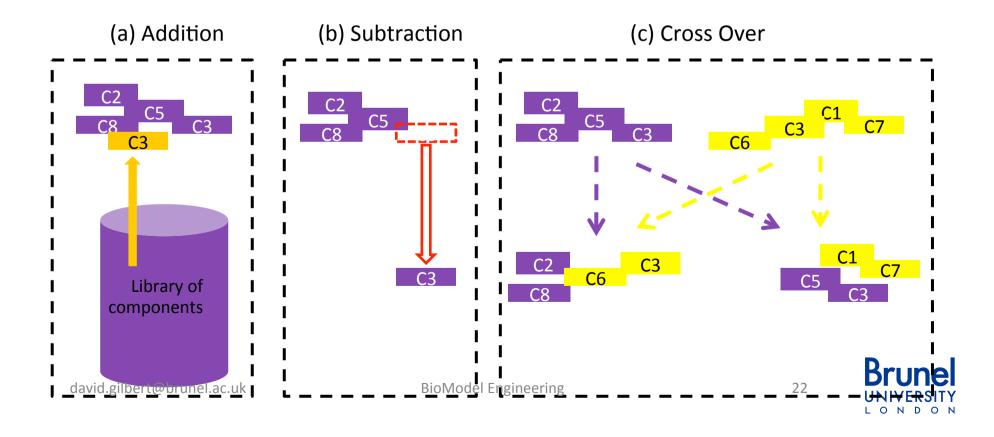
Evolution Strategy – Topology Optimization





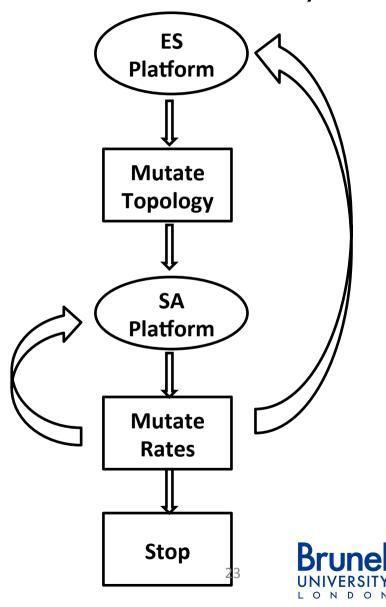
Genetic operators

- Addition composing component to an existing network
- Subtraction removing component from an existing network
- Cross Over recombining two networks by 'cut and splice'



Hybrid Optimization of Topology and Kinetic Rates based on Evolution Strategy(ES) and Simulated Annealing(SA)

Algorithm: A hybrid piecewise modelling framework Require: CompLib, Composition Rules **Ensure**: BioNbest 1: Initiate the population; 2: while Not reached maximum generation (ES layer) do for Each individual in the population do Mutate the topology of individual by Addition or Subtraction; 4: 5: Check the mutated topology of the individual; Evaluate the mutated individual; 6: if The kinetic rates are required to be optimized then 8: while Not reach minimum temperature (SA layer) do 9: Optimize the kinetic rates by Gaussian distribution; 10: Evaluate the mutated kinetic rates; 11: end while 12: end if 13: end for 14: Crossover the individuals; 15: Select offspring for next generation; 16: end while 17: Return BioNbest



Construction & simulation

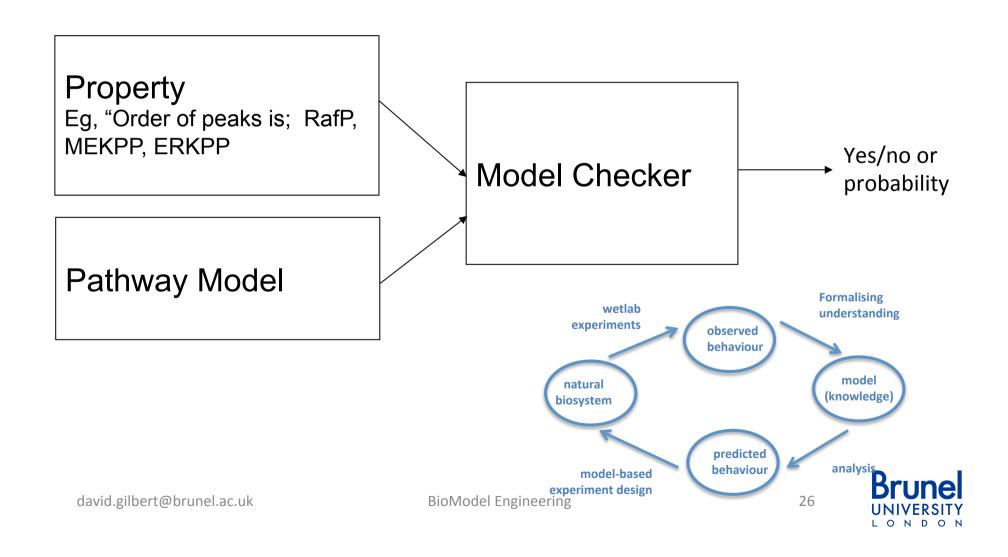


Analysis & interpretation

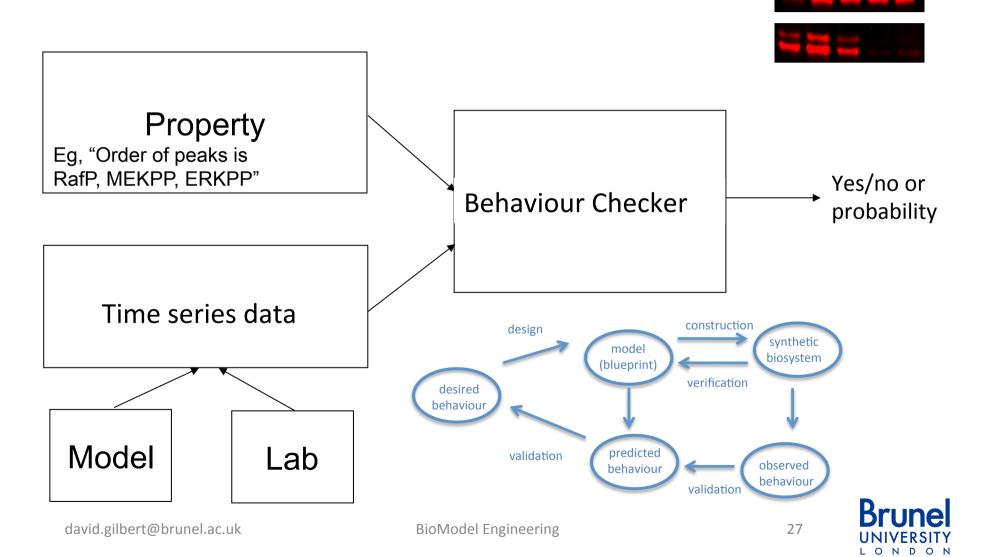


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Model Checking Biochemical Pathways



Simulation-based Model Checking Biochemical Pathways



Managing models

- Version control
 - Improving the reuse of computational models
 through version control, Dagmar Waltemath et al,
 - J. Bioinformatics 2013

- Database of models
 - Storage, searching, retrieval
 - Biomodels.org



Model searching

Peaks at least once

(rises then falls below 50% max concentration)

 $P_{>=1}[$ ErkPP <= 0.50*max(ErkPP) Λ d(ErkPP) > 0 U (ErkPP = max(ErkPP) Λ F(ErkPP <= 0.50*max(ErkPP)))]

- Brown
- Kholodenko
- Schoeberl

Rises and remains constant

(99% max concentration)

 $P_{>=1}[ErkPP <= 0.50*max(ErkPP) \land (d(ErkPP) > 0) U (G(ErkPP >= 0.99*max(ErkPP)))]$

Levchenko

Oscillates at least 4 times

 $P_{>=1}[F(d(ErkPP) > 0 \land F(d(ErkPP) < 0 \land ...))]$

Kholodenko

